

Closest packed plane is

$$\left. \begin{array}{l} \text{SC} = (100) \\ \text{bcc} = (110) \\ \text{fcc} = (111) \end{array} \right\}$$

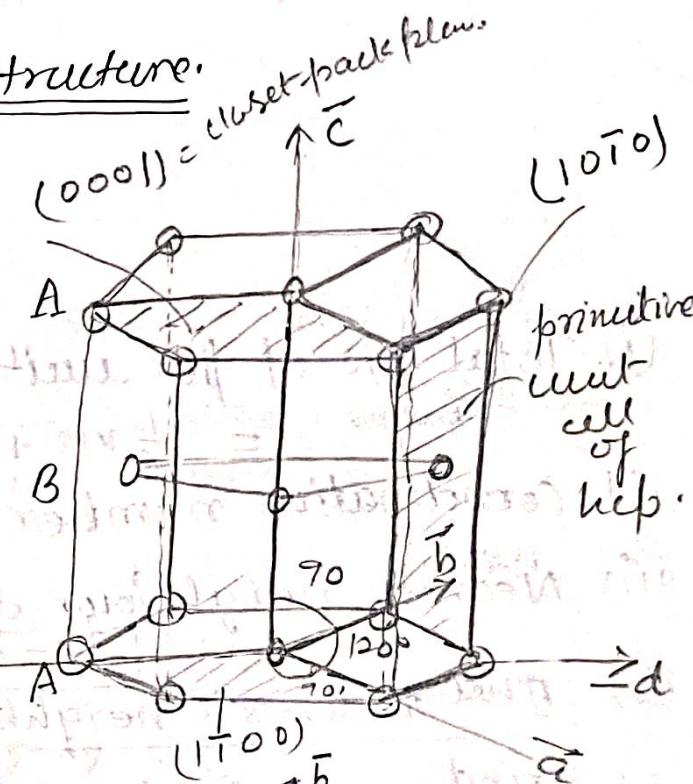
For all plane more closest plane of all cubic crystal are

① fcc (111) which A.P.F is $= \frac{\pi/2\sqrt{3}}{8} = 96.6\%$

Maximum distance volume covered in 3D is 74%

* hcp (Hexagonal close packed) structure.

$$a=b \neq c, \alpha=\beta=90^\circ, \gamma=120^\circ$$



* hcp lattice (crystal) is not Bravais lattice. But

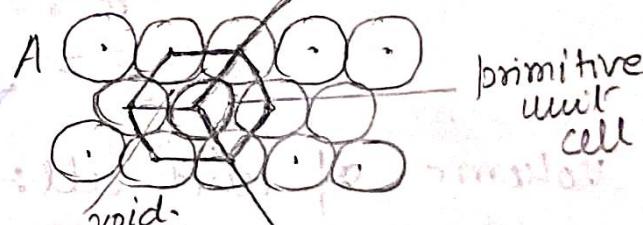
We can consider this crystal system in term of simple hexagonal crystal.

In hcp each body centered atom in lower & upper plane is surrounded by 6 atom.

* The three void are touch each other if we put any atom either on (1,3,5) position or (2,4,6) position.

If we put B layer above the A layer the center of atom touch each other. Then ABABAB type of stacking is formed in hcp.

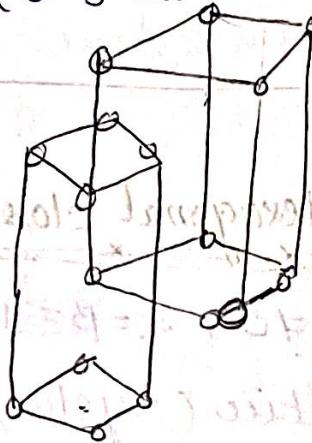
If we put 3rd layer atom on center of AB then the structure of 21416 positions will be ABC, ABC, ABC is known as fcc.



- (i) No of atom per unit cell = 2.
- (ii) No of atom in primitive unit cell = 2.
- (iii) Effective atom per unit cell & density = 1

Note: The lattice of hep can be consider as simple hexagonal if we choose d atoms basis. If 1 atom is at $(0, 0, 0)$ the position of other atom is at $(\frac{1}{3}, \frac{2}{3}, \frac{1}{2})$.

This is interpenetration of two simple hexagonal cell.



- (i) Total no. of per unit cell,
 $= \frac{1}{6} \times 12 + \frac{1}{2} \times 2 + 3 = 6.$
- (ii) Coordination number = $6 + 3 + 3 = 12.$
- (iii) Nearest neighbour distance:
 $\sqrt{2r} = a$
- (iv) 1st nearest neighbour $\approx 2.$
- (v) 2nd nearest neighbour distance
 $\frac{c}{a} = \sqrt{\frac{10}{3}} = 1.633.$; c is height.
- (vi) Volume of unit cell:-

$$\frac{6\sqrt{3}}{4} \times a^2 \times c = \frac{3\sqrt{3}}{2} a^2 c$$

Since equilateral triangle area
- (vii) Volume of primitive unit cell is $\frac{\sqrt{3}}{2} a^2 c$ { $\frac{1}{3}$ of V }
- (viii) Number density $\div \frac{4}{\sqrt{3} a^2 c}$